## Quest Chapter 18

| \# | Problem | Hint |
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| 1 | (part 1 of 2) <br> In everyday use, the word "dense" is often used interchangeably with the word "hard." In physics, density and hardness have completely different meanings. <br> Which object is the densest? <br> 1. lead <br> 2. aluminum <br> 3. diamond <br> 4. iron | Density is the ratio of mass to volume. We might interpret density physically by noticing the differences in weight between similarly sized pieces samples. |
| 2 | (part 2 of 2) <br> Which object is the hardest? <br> 1. aluminum <br> 2. diamond <br> 3. lead <br> 4. iron | If you don't already know, check out the materials online, or read \#4. |
| 3 | Consider a cube of soft, spongy material. Which piece below has the larger density? 1. compressing the cube until it has oneeighth the volume <br> 2. Unable to determine <br> 3. cutting out a piece of the cube that has one-eighth the volume <br> 4. Densities are the same. | Which answer has more mass in a certain size volume? That object will have a higher density. |
| 4 | Diamond is a hard transparent material made of only carbon atoms. Graphite is a black, soft material used to make pencil lead and is also made of only carbon atoms. <br> Do graphite and diamond have the same density? Why? <br> 1. No; the atoms in diamond and graphite are different. <br> 2. Yes; they are made of the same kind of atom. <br> 3. No; the atoms are arranged differently. | What is the difference between graphite and diamonds? <br> Would that difference change mass or volume? |


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| 5 | In one scene in the movie The Godfather II, a solid gold phone is passed around a large table for everyone to see. Suppose the volume of gold in the phone were equal to the volume of a 10 -centimeter cube of gold. The density of gold is $19,300 \mathrm{~kg} / \mathrm{m}^{3}$. <br> Could such a phone be casually passed around a table from hand to hand? What is the weight of the phone? 1 kg of mass is about 2.2 lb . <br> 1. No; it weighs about 45 lbs . <br> 2. Yes; it weighs about 9 lbs . <br> 3. Yes; it weighs about 4.5 lbs . <br> 4. No: it weighs about 90 lbs . | You have to convert 10 cm to meters. Then find the volume. <br> Substitute and solve the equation, $d=m / V$ for the mass. <br> Convert the mass (kg) to weight (lbs.) |
| ${ }_{6}^{6}$ | (part 1 of 2) <br> Martin finds a piece of metal in a scrap yard and weighs it. Its mass is found to be 2311 kg and its volume is $0.26 \mathrm{~m}^{3}$ as determined by immersion in water <br> What is the likely identity of this metal? <br> The densities of common metals are <br> Metal Cu Fe Al Hg Pb <br> $\mathrm{g} / \mathrm{cm}^{3} 8.97 .92 .713 .611 .3$ <br> 1. copper <br> 2. lead <br> 3. mercury <br> 4. None of these <br> 5. aluminum <br> 6. iron | Find the density. <br> Then convert the density to $\mathrm{g} / \mathrm{cm}^{3}$. (The table uses these units.) You will have to remember how many grams are in a kilogram and how many centimeters are in a meter. (Also, note the CUBE.) <br> Then select the best match. |
| 7 | (part 2 of 2) <br> The density of gold is $19300 \mathrm{~kg} / \mathrm{m}^{3}$. <br> What would be the volume of the scrap metal if it had the same weight and were made of gold? | Use the mass of the metal identified in \#6 and the density of gold. <br> Use $d=m / V$ to find the volume of the gold scrap. |


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| 8 | The uranium atom is the heaviest among the naturally occurring elements. <br> Why then, isn't a solid bar of uranium the densest metal? <br> 1. A solid uranium bar contains a lot of oxygen. <br> 2. The uranium atoms lose most of their neutrons when forming a solid bar. <br> 3. Density is determined by the spacing between the atoms as well as mass. <br> 4. There are a lot of dangling bonds inside a solid bar of uranium. | What affects density? <br> Mass and volume. <br> So, if something is massive, like uranium, what could bring its density down? |
| 9 | Which has more volume - a kilogram of gold or a kilogram of aluminum? <br> 1. It cannot be determined. <br> 2. a kilogram of aluminum <br> 3. a kilogram of gold <br> 4. They have same volumes. | Which is denser? <br> Will being denser produce a larger or smaller volume for the same mass? $(\mathrm{d}=\mathrm{m} / \mathrm{V}$ |
| 10 | (part 1 of 3) <br> A solid aluminum cube has sides each of length $L$. A second cube of the same material has sides four times the length of the first cube, i.e., 4 L. <br> Compared to the first cube, what is the density of the second cube? <br> 1. four times as much as the first cube <br> 2. None of these <br> 3. nine times as much as the first cube <br> 4. two times as much as the first cube <br> 5. sixteen times as much as the first cube <br> 6. sixty-four times as much as the first cube <br> 7. the same as the first cube <br> 8. twenty-four times as much as the first cube <br> 9. eight times as much as the first cube 10. twenty-seven times as much as the first cube | Is it the same material? Yes. <br> Do the dimensions of a material change its density? Think before answering. <br> What is the definition of density? $\mathrm{d}=\mathrm{m} / \mathrm{V}$ <br> If you scale up the dimensions, you increase volume. <br> So, if volume increases, can mass change randomly or is it bound by the equation? It is bound. |


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| 11 | (part 2 of 3) <br> Compared to the first cube, what is the weight of the second cube? <br> 1. sixteen times as much as the first cube <br> 2. sixty-four times as much as the first cube <br> 3. nine times as much as the first cube <br> 4. twenty-four times as much as the first Cube <br> 5. two times as much as the first cube <br> 6. twenty-seven times as much as the first cube <br> 7. four times as much as the first cube <br> 8. the same as the first cube <br> 9. None of these <br> 10. eight times as much as the first cube | If the sides are multiplied by a certain number, 4 in this case, how does the volume change? $\begin{gathered} x \text { side } \rightarrow x^{3}=V \\ 4 x \text { side } \rightarrow(4 x)^{3}=64 V \end{gathered}$ <br> So, if the volume increases, in this case, by a factor of 64 , how would the mass and the weight change? <br> By the same factor. |
| 12 | (part 3 of 3) <br> Compared to the first cube, what is the total surface area of the second cube? <br> 1. ninety-six times as much as the first cube <br> 2. sixty-four times as much as the first cube <br> 3. four times as much as the first cube <br> 4. the same as the first cube <br> 5. two times as much as the first cube <br> 6. sixteen times as much as the first cube <br> 7. twenty-seven times as much as the first cube <br> 8. None of these <br> 9. eight times as much as the first cube <br> 10. nine times as much as the first cube | Volume changes as the cube of the multiplier. <br> Surface area changes by the square of that multiplier. <br> In this case, 16 times: $\begin{gathered} x \text { side }->x^{2}=A \\ 4 x \text { side } \rightarrow(4 x)^{2}=16 A \end{gathered}$ |
| 13 | Why does crushed ice melt so much faster than an equal mass of ice cubes? <br> 1. The crushing process raised the temperature of the crushed ice. <br> 2. Crushed ice is smaller. <br> 3. Crushed ice has more exposed surface. | What is the dominant method of heat transfer? Conduction. <br> Conduction requires direct contact. Which form, cubes or crushed has more direct contact with its surroundings? <br> How do we measure that increased direct contact? Surface area. |


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| 14 | Why do ice cubes float? <br> 1. Ice cubes are less dense than water. <br> 2. Ice cubes are lighter than water. <br> 3. Ice cubes are in a solid state. | What does water do when it freezes? It expands. <br> What happens to the volume when it expands? <br> What happens to the density when it expands? |
| 15 | The force required to stretch a spring varies directly with the amount the spring is stretched. A force of 81 pounds is needed to stretch a spring 13 inches, as shown in the right-hand figure below. <br> How much force is required to stretch the spring 10 inches? | What does "varies directly" mean? <br> Set up a proportion with the right-hand spring force/displacement = to the other spring values. <br> Then, solve for the unknown force. |
| 16 | What is the mass of a substance divided by its volume? <br> 1. weight <br> 2. inertia <br> 3. density <br> 4. pressure | Check your notes. |
| 17 | A block of wood has a volume of $75 \mathrm{~cm}^{3}$ and a mass of 750 g . <br> What would be its density? <br> Answer in units of $\mathrm{g} / \mathrm{cm}^{3}$ | Which equation would you use for this problem. Substitute and solve. |
| 18 | Calculate the density of a solid cube that measures 6.08 cm on each side and has a mass <br> of 446 g . <br> Answer in units of $\mathrm{g} / \mathrm{cm}^{3}$ | What do you need to calculate density? <br> Do you have mass? <br> Do you have volume? <br> $V_{\text {cube }}=s^{3}$ |
| 19 | A block of material has dimensions 4.9 cm by 7.9 cm by 3 cm . Its mass is 572 g . What is the density? <br> Answer in units of $\mathrm{g} / \mathrm{cm}^{3}$ | How do you find the volume of a box? HxW xD |


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| 20 | A load of 54 N attached to a spring that is <br> hanging vertically stretches the spring 0.29 m. <br> What is the spring constant? <br> Answer in units of $\mathrm{N} / \mathrm{m}$ | The spring constant is a ratio <br> of Force and displacement <br> (distance). $\mathrm{F}=-\mathrm{kx}$. <br> Substitute and solve. |
| 21 | An ideal spring obeys Hooke's law: $\mathrm{F}=-\mathrm{kx}$. <br> A mass of $\mathrm{m}=0.6 \mathrm{~kg}$ hung vertically from <br> this spring stretches the spring 0.13 m. <br> The acceleration of gravity is $9.8 \mathrm{~m} / \mathrm{s}^{2}$. <br> Calculate the value of the force constant k <br> for the spring. <br> Answer in units of $\mathrm{N} / \mathrm{m}$ | You have to find the weight of <br> the mass for this calculation. <br> That is why they give you $\mathrm{a}_{\mathrm{g}}$. |
| 22 | Janet wants to find the spring constant of a <br> given spring, so she hangs the spring vertically <br> and attaches a 0.42 kg mass to the spring's <br> other end. <br> The acceleration of gravity is $9.81 \mathrm{~m} / \mathrm{s}^{2}$. | You have to find the weight of <br> If the spring stretches 3.4 cm from its <br> equilibrium position, what is the spring <br> constant? <br> Answer in units of $\mathrm{N} / \mathrm{m}$ |
| That is why they this calculation. |  |  |
| Substitute and solve. you $\mathrm{a}_{\mathrm{g}}$. |  |  |

